# CSC 258 Some Boolean algebra identities

identity laws:  $a \cdot 1 = a$ a + 0 = abase laws:  $a \cdot 0 = 0$ a + 1 = 1idempotence: aa = aa + a = aexcluded middle:  $a + \bar{a} = 1$ non-contradiction:  $a \cdot \bar{a} = 0$ double-negation:  $\overline{\bar{a}} = a$ exclusive-or definition:  $a \oplus b = a\bar{b} + \bar{a}b$ 

### commutative:

ab = ba a + b = b + a  $a \oplus b = b \oplus a$ associative: (-b) = -c(b, c)

 $\begin{aligned} (ab)c &= a(bc)\\ (a+b)+c &= a+(b+c)\\ (a\oplus b)\oplus c &= a\oplus (b\oplus c) \end{aligned}$ 

## distributive:

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a(b+c) = ab + aca+bc = (a+b)(a+c)
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### de Morgan's laws:

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\overline{a+b} = \bar{a}\bar{b}\overline{(ab)} = \bar{a} + \bar{b}etc
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# absorption:

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a(a+b) = aa+ab = aa+\bar{a}b = a+bno name:
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$$ab + ab = a$$